

## Model I:

One-third of the authors uses variant $A$ and two-thirds variant $B$. This implies that the variance per author is minimal, for instance, completely predictable after the first observation in a text, but for the corpus, maximal: Charters from three different authors are needed to establish the I:2 ratio, but per author, one form is sufficient. In this model it is preferable to count per text or even per author;

## Model II:

Every author uses both alternatives in the ratio $\mathrm{I}: 2$ in a random alternation in his writings, (for example, within one charter). If this is applied consistently, the individual variance equals the population variance. With a sufficient number of tokens to track the variation with a significant estimation, it is possible to deduce the variation among the entire population. If the inter-speaker variance is zero, it does not matter whether there is a long text from one author or two shorter ones from two authors, assuming that both are representative for that period and region. In this model, token count is the preferred method.

The mixture of forms in one charter is only possible if two conditions are fulfilled:

- The two variants must be co-existing at that time;
- A charter must contain at least two tokens for the relevant form to be able to show different variants in one charter.
seka vs. seken -a -en \%-a
1460-I500
All tokens in this period
21
30
$41 \%$
All charters in this period 18 19 49\% with an attestation to...

$$
\begin{array}{ccc}
\text { both -a and } & \text { only -a or } & \% \\
\text {-en } & \text {-en } & \text { mixed }
\end{array}
$$

Tokens in charters with at 3

23 12\% least two examples

Charters with...
I
10
9\%

The following cases have been studied:

- seke 'case’
- seka 'cases'
- bitalad 'paid'
- wesa 'to be'
- kapad 'bought'
- degum 'days’
singular -e or ø
plural -a or -en
ending with <a> or <e> / <i> root vowel <a> or <e> unstressed vowel <e> or <i> dative plural ending $<\mathrm{Vm}>$ or <en>
ending with <a> or <e> / <i>

Level of mixture


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Graph 1.9: Level of Mixture, token count.

| words | tokens in mixed charter s | tokens in charters $>1$ token | \% mixed <br> tokens | tokens <br> var. 1 | tokens <br> var. 2 | \%overall <br> mixture | variant 1 vs. variant 2 | time <br> frame |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| bitalad | 0 | 14 | 0\% | 20 | 81 | 20\% | <a> - <e/i> | -1481 |
| habbath | 3 | 28 | 11\% | 10 | 29 | 26\% | <a> - <e/i> | -1435 |
| kapad | 12 | 174 | 7\% | 137 | 306 | 31\% | <i> - <e> | all |
| wesa | 6 | 72 | 8\% | 39 | 68 | 36\% | <a> - <e> | -1471 |
| degum | 4 | 22 | 18\% | 42 | 49 | 46\% | <um>-<en> | all |
| seke | 29 | 80 | 36\% | 58 | 65 | 47\% | $<\mathrm{e}>$ - ø | 1430-1480 |
| seka | 3 | 26 | 12\% | 21 | 30 | 41\% | $<\mathrm{a}>-<\mathrm{en}>$ | 1460-1500 |
|  | 57 | 416 | $\mathrm{r}=$ | 78,8\% |  |  |  |  |
| aver | e /e/ = | 12\% | $\mathrm{r} 2=$ | 62,2\% |  |  |  |  |
|  | $\mathrm{df}=$ | 5 | p 1-T= | 1,7\% |  |  |  |  |
|  | $\mathrm{n}=$ | 7 | p 2-T= | 3,5\% |  |  |  |  |

<ael> \& <aell> <ael>+V <aell>+V \% <aell>bitalad/-athbitalia(ne)bitalingerest of thecharters

II
9
45\%

18\%
9


6 8\%
703

Table 2.9: Skewed distribution of the sequence <aell>.

|  | order | \% < aell> | $\log (\%$ aell $)$ |  |
| :---: | :---: | :---: | :---: | :---: |
| bitala- | 0 | 45\% | -0,35 |  |
| bitalia- | 1 | 18\% | -0,74 |  |
| bitalinge | 2 | 8\% | -1,10 |  |
| rest | 3 | 1\% | -1,88 |  |
|  |  | - |  |  |
| r2 = | p 1-T = | p 2-T = | df $=$ | $\mathrm{n}=$ |
| 0,90 | 2,5\% | 5,0\% | 2 | 4 |
| 0,96 | 1,0\% | 1,9\% | 2 | 4 |

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