



university of
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Language and Inference

Day 3: Building Meaning Representations

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- Introduce a method to build meaning representations from English text
- Use the grammar formalism introduced yesterday
- Specify the syntax-semantics interface

Today



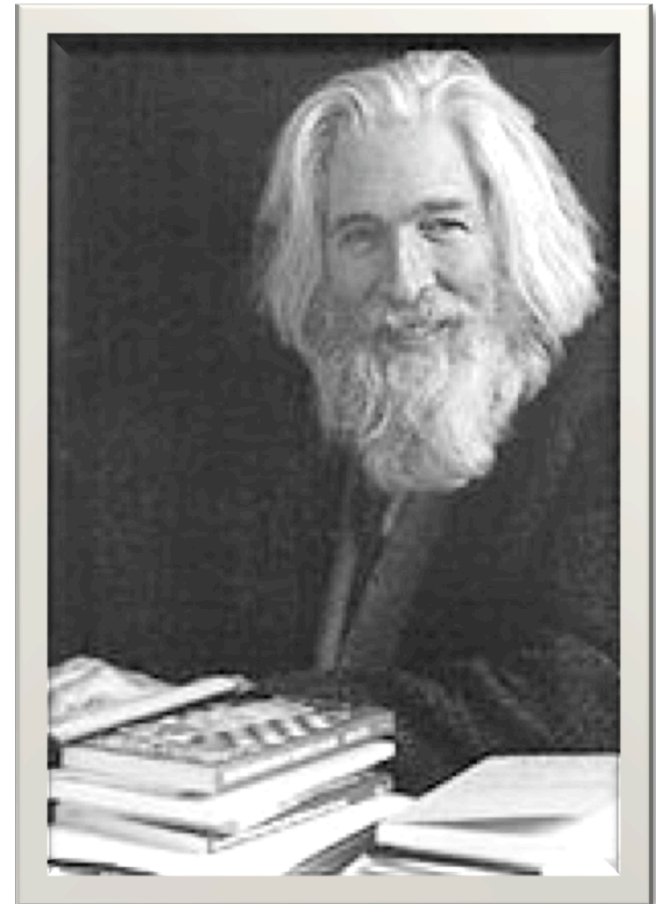
Bluebird



Starling



Thrush



Raymond Smullyan

$$\frac{X/Y \quad Y}{X} >$$

$$\frac{Y \quad X/Y}{X} <$$

$$\frac{X/Y \quad Y/Z}{X/Z} >B$$

$$\frac{Y/Z \quad X/Y}{X/Z} <B$$

$$\frac{X/Y \quad Y/Z}{X/Z} >Bx$$

$$\frac{Y/Z \quad X/Y}{X/Z} <Bx$$



Rule schemata (1)



$$\frac{X}{Y/(Y \setminus X)} >T$$

$$\frac{X}{X \setminus (Y/X)} <T$$

$$\frac{X \quad \text{CONJ} \quad X}{X} \langle \rangle$$

$$\frac{(X/Y)/Z \quad Y/Z}{X/Z} >S$$

$$\frac{Y/Z \quad (X \setminus Y)/Z}{X/Z} <Sx$$



Rule schemata (2)

- How do we construct DRSs from sentences (or texts) in a systematic way?
- We will let us guide by syntactic structure!
- What we will do is show how we can combine CCG with DRT

Compositional Semantics

- Use techniques from the lambda calculus to combine CCG with DRT
- Every word gets assigned a “partial” DRS
- Each combinatorial rule in CCG has a semantic interpretation consistent with lambda calculus

Combining CCG with DRT

We will add a couple of new ingredients:

λ $@$;

- The lambda operator λ signals missing information
- Function application is indicated by $@$
- The ; operator denotes a merge between two DRSs

Partial DRSs

Category	Partial DRS	Example			
N	$\lambda x.$ <table border="1" style="display: inline-table; vertical-align: middle;"><tr><td> </td></tr><tr><td>spokesman(x)</td></tr></table>		spokesman(x)	<i>spokesman</i>	
spokesman(x)					
NP/N	$\lambda p. \lambda q. ($ <table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>x</td></tr><tr><td> </td></tr></table> $); (p@x); (q@x))$	x		<i>a</i>	
x					
S\NP	$\lambda n. (n@ \lambda y. ($ <table border="1" style="display: inline-table; vertical-align: middle;"><tr><td>e</td></tr><tr><td>lie(e)</td></tr><tr><td>agent(e,y)</td></tr></table> $)$	e	lie(e)	agent(e,y)	<i>lied</i>
e					
lie(e)					
agent(e,y)					

CCG+DRT: lexical semantics

Type theory



- We will use two basic types:
 - e (entity, i.e. discourse referents), and
 - t (truth value, i.e. DRSs)
- The set of all types is recursively defined in the usual way:
 - if α and β are types, then so is $\langle \alpha, \beta \rangle$

Syntax of partial DRSs



$\langle \text{EXP}_t \rangle ::= \boxed{\begin{array}{l} \langle \text{VAR}_e \rangle^* \\ \langle \text{CON} \rangle^* \end{array}} \mid (\langle \text{EXP}_t \rangle ; \langle \text{EXP}_t \rangle) \mid (\langle \text{EXP}_{\langle \alpha, t \rangle} \rangle @ \langle \text{EXP}_\alpha \rangle)$

$\langle \text{CON} \rangle ::= \langle \text{BASIC} \rangle \mid \langle \text{COMPLEX} \rangle$

$\langle \text{BASIC} \rangle ::= \langle \text{SYM}_1 \rangle (\langle \text{VAR}_e \rangle) \mid \langle \text{SYM}_2 \rangle (\langle \text{VAR}_e \rangle, \langle \text{VAR}_e \rangle) \mid \dots$

$\langle \text{COMPLEX} \rangle ::= \neg \langle \text{EXP}_t \rangle \mid \langle \text{EXP}_t \rangle \Rightarrow \langle \text{EXP}_t \rangle \mid \langle \text{VAR}_e \rangle : \langle \text{DRS}_t \rangle \mid \dots$

$\langle \text{EXP}_{\langle \alpha, \beta \rangle} \rangle ::= \langle \text{VAR}_{\langle \alpha, \beta \rangle} \rangle \mid \lambda \langle \text{VAR}_\alpha \rangle . \langle \text{EXP}_\beta \rangle \mid (\langle \text{EXP}_{\langle \gamma, \langle \alpha, \beta \rangle} \rangle @ \langle \text{EXP}_\gamma \rangle)$



Application ($>$ and $<$)

$X/Y: \varphi$ $Y: \psi$

 $>$ $X: (\varphi @ \psi)$ $Y: \psi$ $X \setminus Y: \varphi$

 $<$ $X: (\varphi @ \psi)$

Application ($>$ and $<$)

$$\frac{X/Y \qquad Y/Z}{X/Z} >B$$

$$\frac{Y/Z \qquad X/Y}{X/Z} <B$$

Composition ($>B$ and $<B$)

$X/Y: \varphi$ $Y/Z: \psi$

 $>B$ $X/Z: \lambda x. (\varphi @ (\psi @ x))$ $Y \setminus Z: \psi$ $X \setminus Y: \varphi$

 $<B$ $X \setminus Z: \lambda x. (\varphi @ (\psi @ x))$

Composition ($>B$ and $<B$)

- Consider the application: $\lambda x. \varphi @ \psi$
 - Here the functor is: $\lambda x. \varphi$
 - And the argument is: ψ
- The process of replacing every free occurrence of x in φ by ψ is called β -conversion (or β -reduction, or λ -conversion)

β -conversion

NP/N: **a** N: **spokesman**

S\NP: **lied**

----- >

NP: **a spokesman**

----- <

S: **a spokesman lied**

CCG derivation

NP/N: **a**

N: **spokesman**

SNP: **lied**

$\lambda p. \lambda q. (\lambda x. (p@x); (q@x))$

$\lambda z. \text{spokesman}(z)$

NP: **a spokesman**

$(\lambda p. \lambda q. (\lambda x. (\text{spokesman}(x) \text{ spokesman}(z))))$

S: **a spokesman lied**

CCG+DRT derivation

NP/N: **a**

$\lambda p.\lambda q.(\begin{array}{|c|} \hline x \\ \hline \end{array};(p@x);(q@x))$

N: **spokesman**

$\lambda z.(\begin{array}{|c|} \hline \\ \hline \text{spokesman}(z) \\ \hline \end{array})$

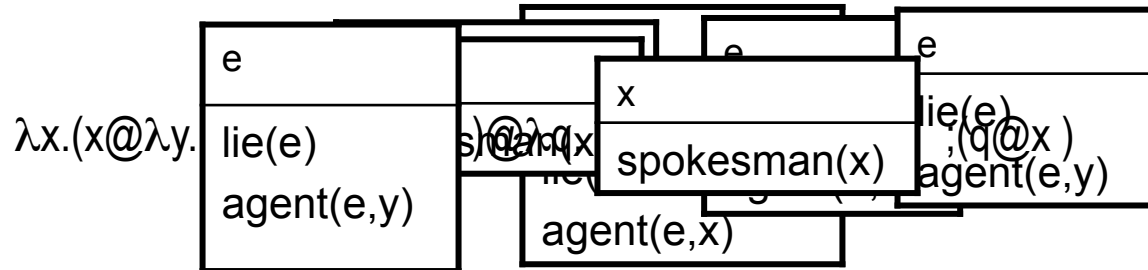
S/NP: **lie**

$\lambda x.(x@(\lambda y.(\begin{array}{|c|} \hline e \\ \hline \text{lie}(e) \\ \hline \text{agent}(e,y) \\ \hline \end{array})))$

NP: **a spokesman**

$\lambda q.(\begin{array}{|c|} \hline x \\ \hline \text{spokesman}(x) \\ \hline \end{array};(q@x))$

S: **a spokesman lied**



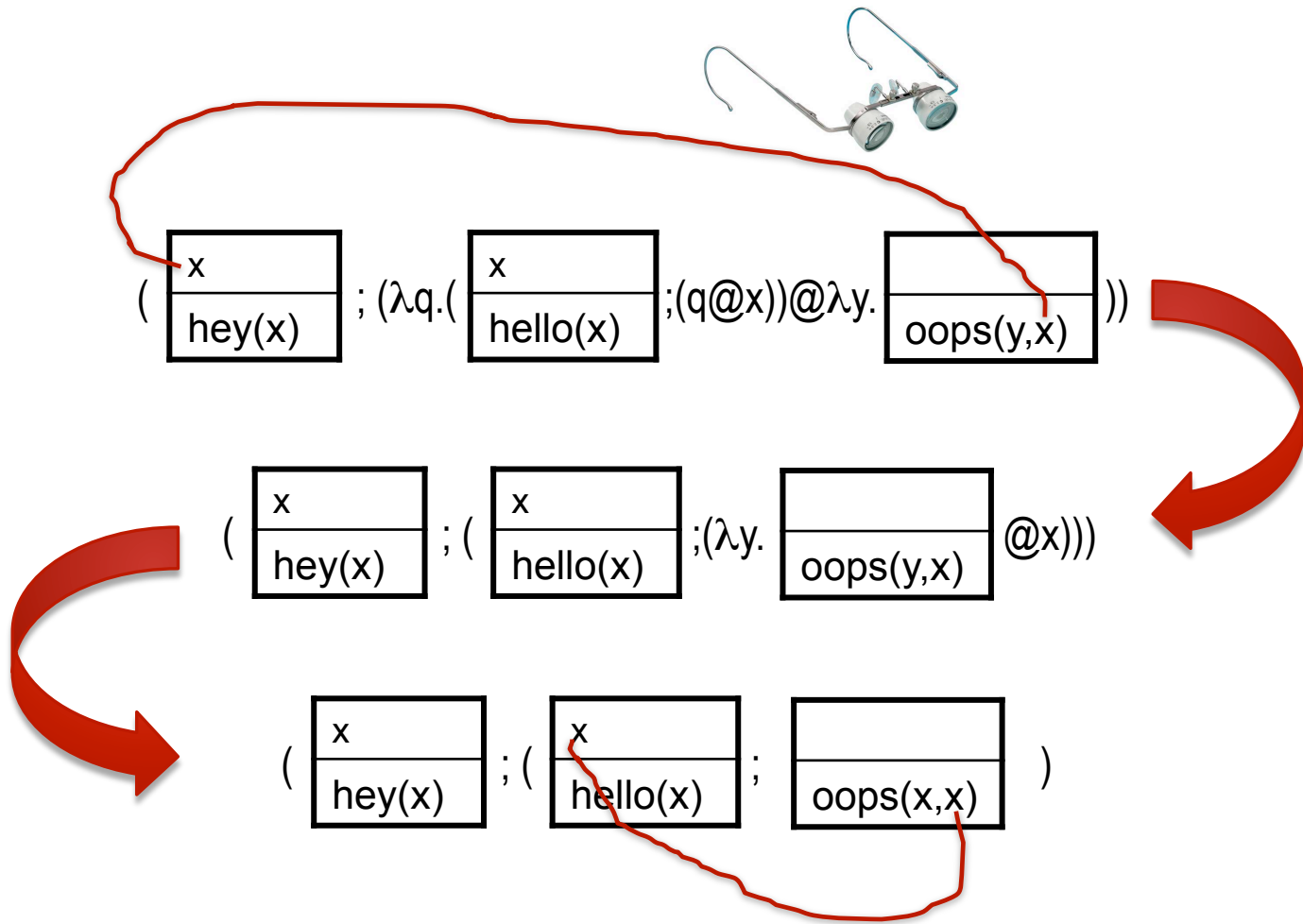
CCG+DRT derivation

What are the semantic types?

- Determine the semantic types of the partial DRSs of the previous example

- Consider again: $\lambda x. \varphi @ \psi$
 - The functor is: $\lambda x. \varphi$
 - And the argument is: ψ
- β -conversion can only take place if the set of free variables in ψ is disjoint from the set of bound variables in φ . Why?

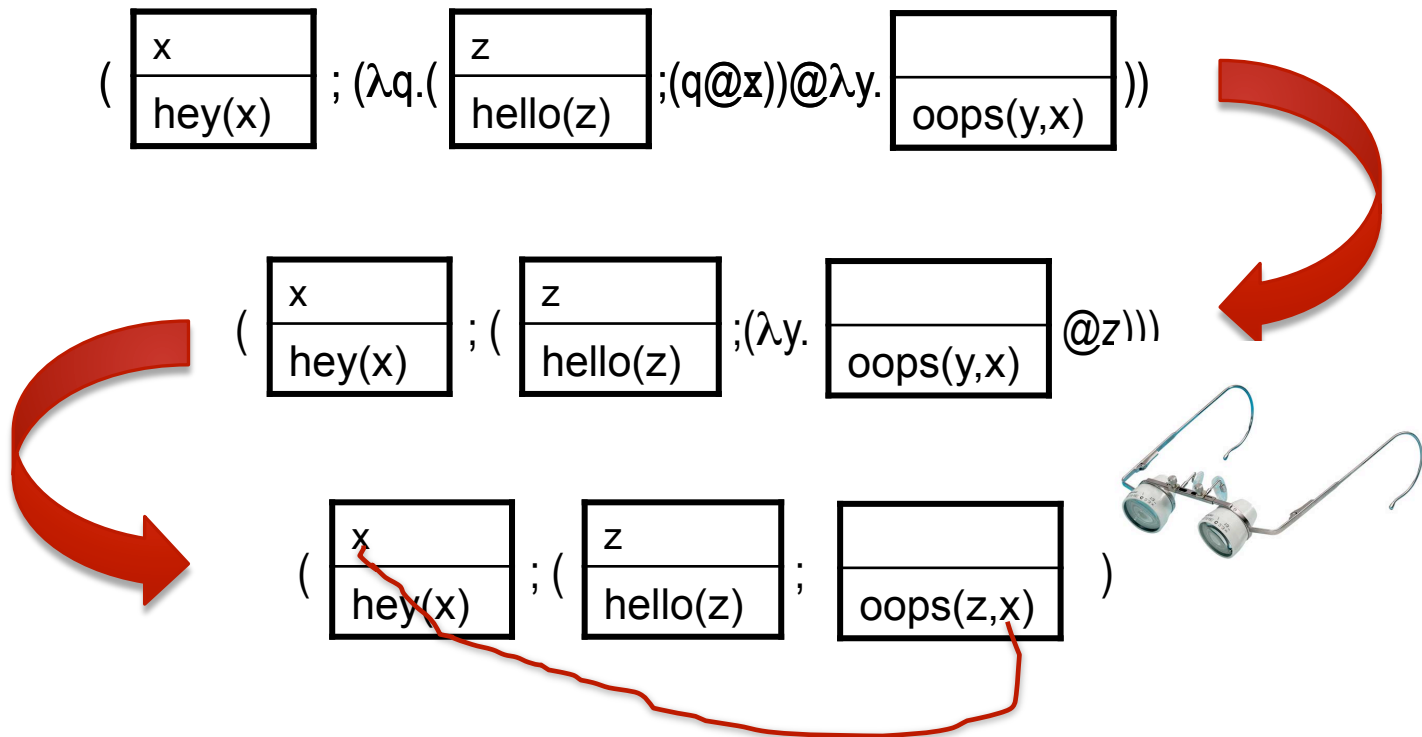
Constraints on β -conversion



Accidentally capturing free variables

- **α -conversion** is the process of replacing bound occurrences of a variable in an expression by a new (unused) variable
- If we do this with the functor for every application before we perform β -conversion, we won't capture free variables anymore

α -conversion



Avoiding capturing free variables

- Theoretical work
 - Associating syntactic categories with a semantic type
 - Follow CCG's principle of type transparency
- Practical work
 - Produce a lexical DRS for each lexical category, obeying type restrictions
 - Lot of work: all lexical categories found in CCGbank

Building the Semantic Lexicon

S	Sentence
NP	Noun Phrase
N	Noun
PP	Prepositional Phrase

Basic Syntactic Categories

e	entity (discourse referent)
t	truth value (box)

Basic Semantic Types

- Nouns express properties
- Hence it makes sense to associate the category N with the semantic type $\langle e, t \rangle$
- The semantic type $\langle e, t \rangle$ denotes functions from entities to truth values (properties)

The category N

squirrel

$N: \langle e, t \rangle: \lambda x.$

squirrel(x)

red

$N/N: \langle \langle e, t \rangle, \langle e, t \rangle \rangle: \lambda p. \lambda x. ($

red(x)

$); (p @ x))$

- Prepositional phrases (PPs) also express properties
- Hence it makes sense to associate the category PP with the semantic type $\langle e, t \rangle$ too

The category PP

at a table

PP: $\langle e, t \rangle: \lambda x_1.$

x_2
table(x_2)

at(x_1, x_2)

wife

N/PP: $\langle \langle e, t \rangle, \langle e, t \rangle \rangle: \lambda p. \lambda x_1. ($

x_2
person(x_1)

wife(x_2)

role(x_1, x_2)

); ($p @ x_2$)

- Noun phrases denote entities
 - Therefore, the category NP is usually associated with the type e
- But we deviate from this approach
 - instead, we give a type-raised analysis to NP
 - The type we give to NP is $\langle\langle e, t \rangle, t \rangle$, that is, a function from properties to truth values

The category NP

someone

NP: $\langle\langle e, t \rangle, t \rangle: \lambda p. \left(\begin{array}{c} x \\ \text{person}(x) \end{array} ; (p @ x) \right)$

Examples (NP)

- Sentence denote truth values
 - Therefore, S would be associated with the semantic type t
- But once again we deviate from this view
 - Instead we pair S with the type $\langle\langle e, t \rangle, t \rangle$
 - Motivation:
compositional neo-Davidsonian semantics

The category S

- Approach: Method of Continuation
- Basic ideas:
 - Discourse referents for events get introduced in the lexicon
 - Abstraction over potential modifiers of event discourse referents
 - Each modifier introduce a new abstraction over potential modifiers (“continuation”)

Compositional neo-Davidsonian

smoke

$(S[dcl] \setminus NP): \langle \langle e, t \rangle, t \rangle, \langle \langle e, t \rangle, t \rangle: \lambda n_1. \lambda p_2. (n_1 @ \lambda x_3. ($

e_4
$smoke(e_4)$
$agent(e_4, x_3)$

$); (p_2 @ e_4)))$

Example (S\NP)

(i) $\lambda p. \left(\begin{array}{|c|} \hline e \\ \hline v(e) \\ M_1(e) \\ \hline \end{array} ; (p @ e) \right)$

(ii) $\left(\lambda v. \lambda p'. (v @ \lambda e. \left(\begin{array}{|c|} \hline \\ \hline M_2(e) \\ \hline \end{array} ; (p' @ e) \right) @ \lambda p. \left(\begin{array}{|c|} \hline e \\ \hline v(e) \\ M_1(e) \\ \hline \end{array} ; (p @ e) \right) \right)$

(iii) $\lambda p'. \left(\begin{array}{|c|} \hline e \\ \hline v(e) \\ M_1(e) \\ M_2(e) \\ \hline \end{array} ; (p' @ e) \right)$

Continuation at work

Syntactic Category	Semantic Type
S	$\langle\langle e,t \rangle, t \rangle$
NP	$\langle\langle e,t \rangle, t \rangle$
N	$\langle e,t \rangle$
PP	$\langle e,t \rangle$

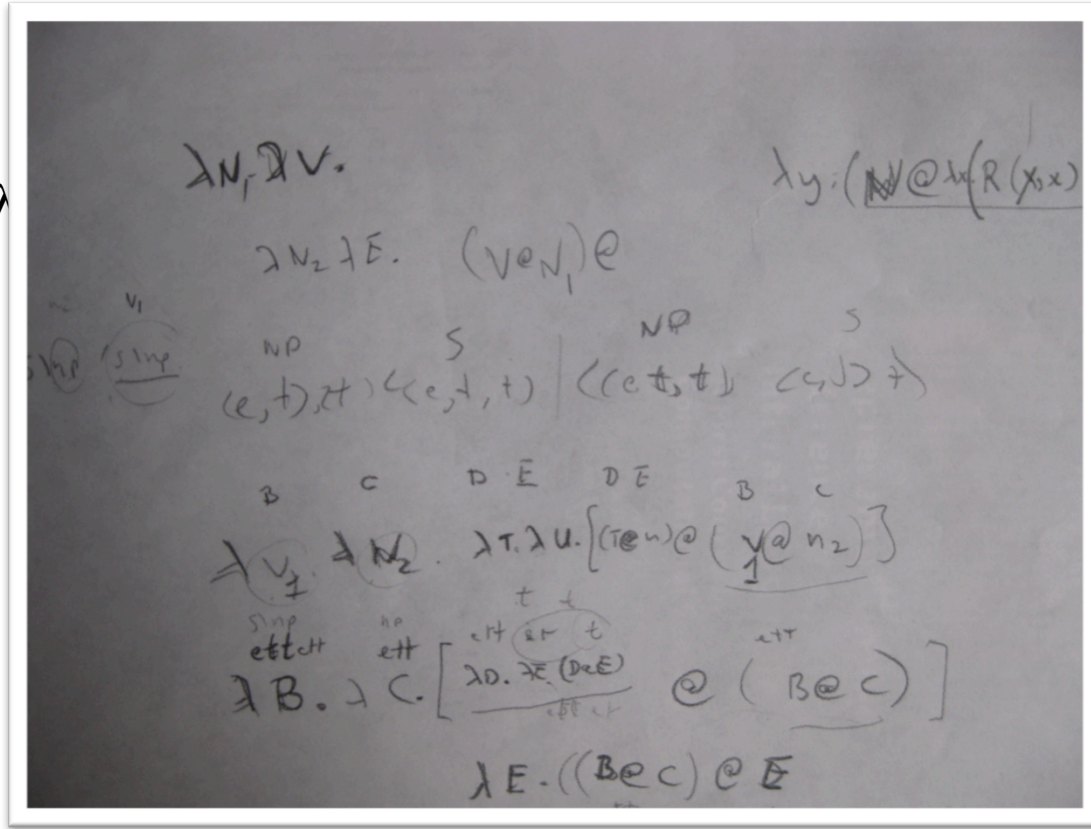
Mapping syntax to semantics

- For each category in the lexicon, we need to provide a fitting partial DRSs
- Manual work, ca. 500 categories
 - Some categories are straightforward
 - Others categories are far from trivial

Producing lexical DRSs

promise: ((S_{dcl} \ NP) / (S_{to} \ NP)) / NP

$\lambda n_1. \lambda v. \lambda$



;(E@e))

Example Partial DRS (lexicon)

- This is all implemented as the **Boxer** system
A semantic parser based on CCG and DRT
- The **Groningen Meaning Bank**
Semantically annotated corpus (CCG + DRT)

Implementation
