



Reconciling Conflicting Fieldworkers' Reports: Lowman vs. McDavid

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Structure of Talk

Thesis: Dialectometry can Reconcile Conflicting Reports

- Problem of conflicting reports
- “McDavid isoglosses”
- Normalizing distance measures
 - Focus on application to lexical differences
 - Application to pronunciation *better*, but more complicated to present.
- Evaluating results
- Conclusions and recommendations



LAMSAS

Linguistic Atlas of the Middle and South Atlantic States

- “*If the sun comes out after a rain, you say the weather is doing what?*”
 - *clearing up*
 - *fairing off* [. . . 40 variants]
- 1162 interviews conducted 1933–1974
 - 71% of data collected by Guy Lowman 1933–1941
 - 25% of data collected by Raven McDavid 1939–1968
- Digitized data avail. from Bill Kretzschmar
- Records of lexical choice and pronunciation



How Fieldworkers' Reports Conflict

- Fieldworkers can confound data in subtle ways
- Inherent problem in analysis of historical data
 - Encouraging/Discouraging about eliciting alternatives
 - * Infects lexical data as well
 - Transcription practices
 - * Lowman/McDavid differed (*LAMSAS Handbook*, p.127)
 - * Incl. frequent material (corrected relative freq. below)

diacritic	example	L	McD	Tot. Token Freq.
fronting	[ɔ̟]	0.30	0.70	33,206
raising	[e̟]	0.35	0.65	54,069

(IPA: [ə̟])

- Not eliminable in contemporary data
 - Instrumental analysis obviates some problems



Lexical Distance à la Seguy '71

Site	Vocabulary Item				
Brownsville	dog	hat	horse	toilet	smallest finger
White Plain	dog	hat	horse	bathroom	pinkie
	dog	cap	horse	bathroom	—

1. Ignore items for which data is missing (*smallest finger*)
2. Distance is $(1 - o)$, where o is proportional overlap
 - $\text{distance}(\text{Brownsville, White Plain}) = 0.25$
3. Seguy used number of different items, we use proportion
4. Refinement for multiple responses (Nerbonne & Kleiweg, 2003)
5. Refinement weighing infrequent overlap (Goebel, 1982/1984)



Problem: Close Variants

- *fair off, fairing, fairing off, faired off, fairs off, ...*
- Solution: use Porter stemming (poor man's lemmatizer)

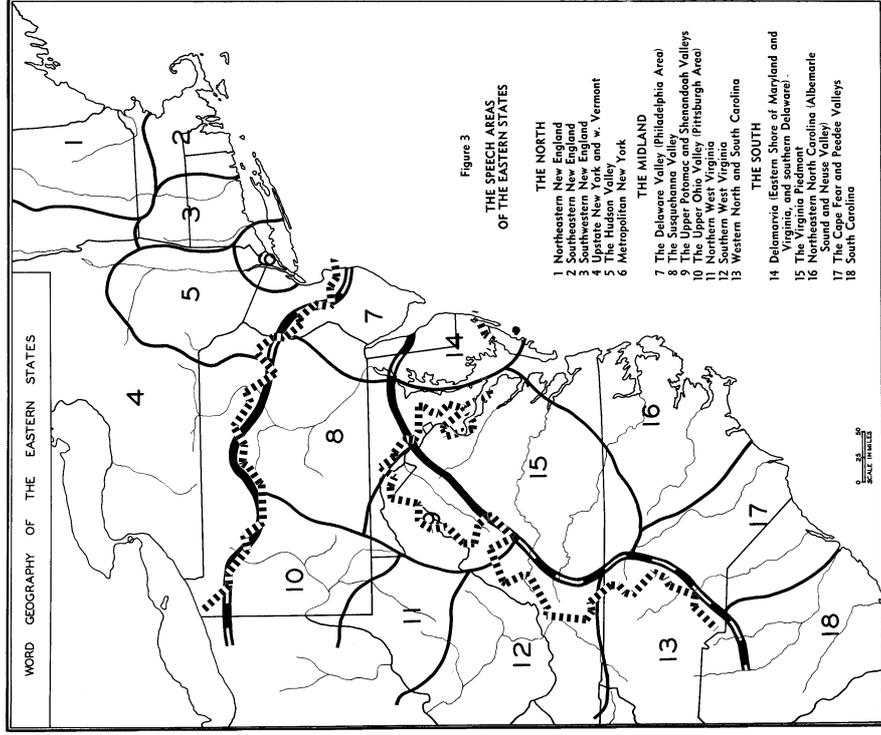
a hundr year a hundred year
a hundr year a hundred years

blew blew
blew blewed

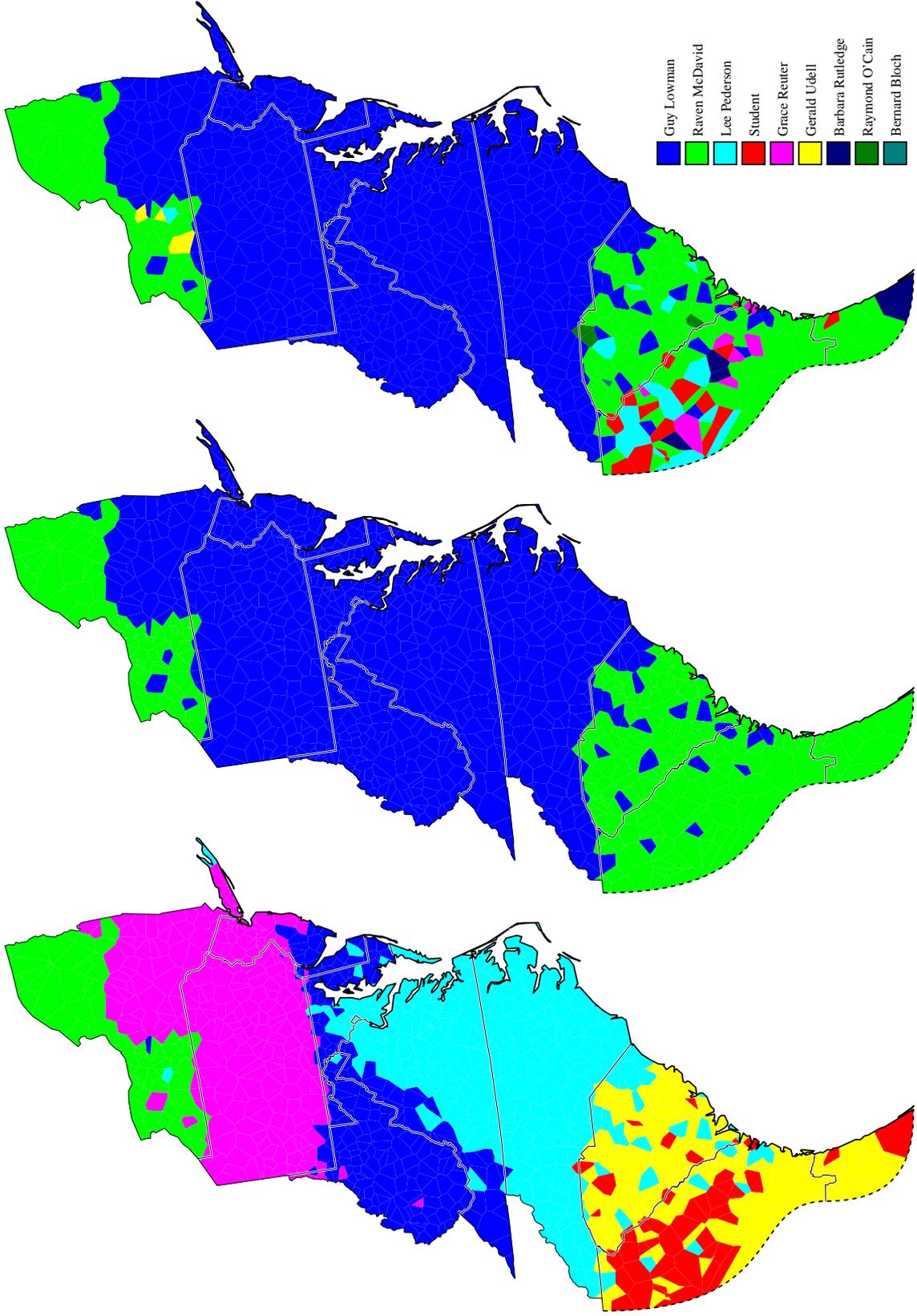
ceas cease
ceas ceased
ceas ceases
ceas ceasing



Fit to Kurath



So where's the conflict?



informants, 6 clusters (left), 2 clusters (middle), fieldworkers (right)



Lowman, McDavid et al.

Fieldworker	Number of Interviews	Number of Responses	Mean Responses/Interview	SD Responses/Interview
Lowman	826	123990	150.1	25.3
McDavid	278	54855	197.3	76.8
others	58	12057	207.9	43.9
Totals	1162	190902	164.3	49.6

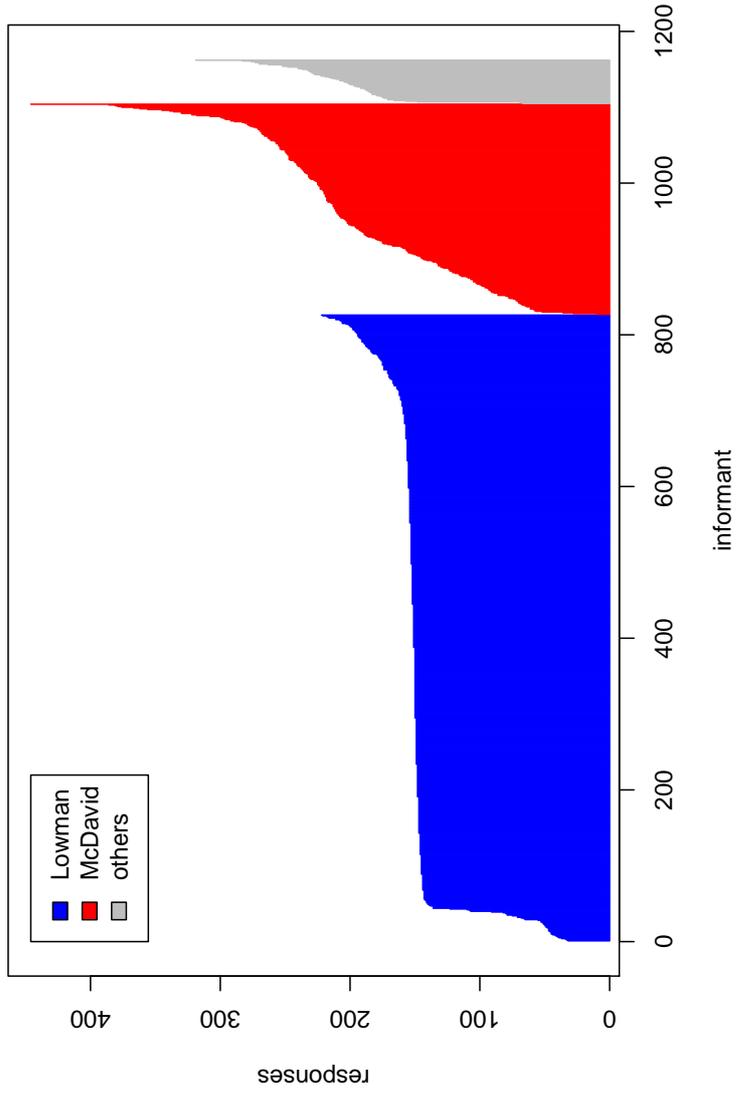
Lowman (& others) encountered “no-response” for 10% of items; McDavid for 15%. Significantly distinct ($p < 0.05$, binomial w. $n_1 = 826, n_2 = 278$).

Preliminary focus was therefore on Lowman data — 71%



Differing Practices

LAMSAS





Idea: differences are error due to fieldworker

Normalize the measurements, i.e., to express distances as z -scores,

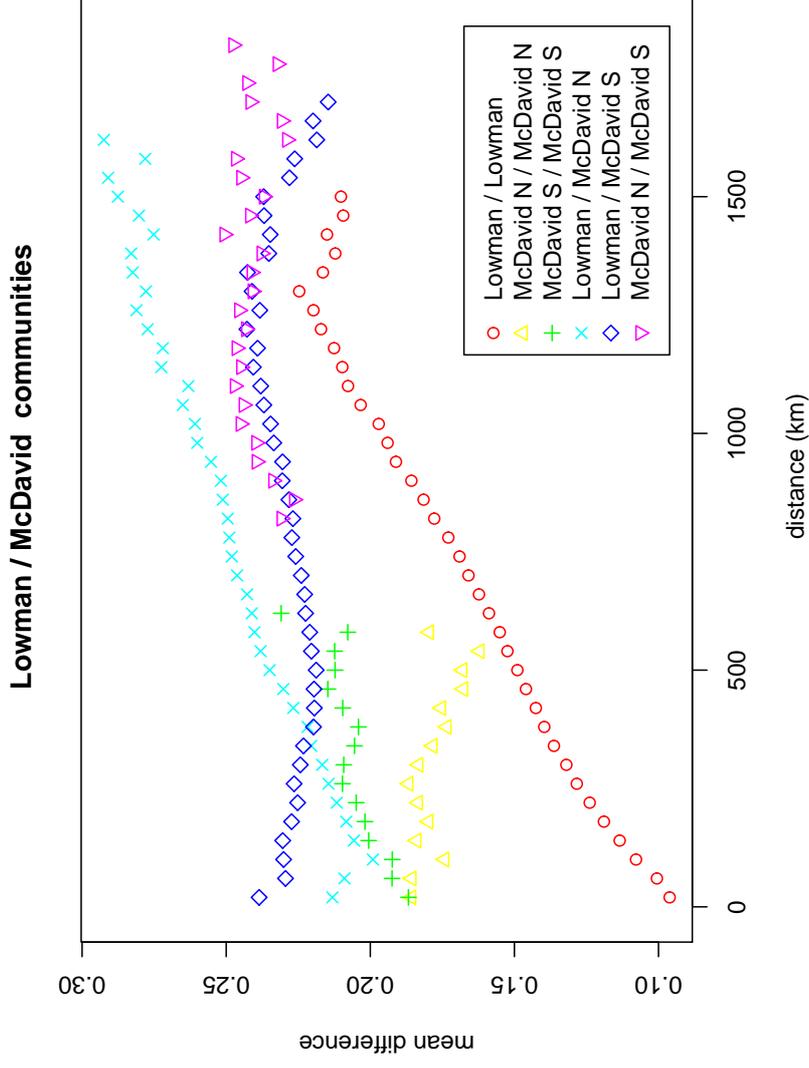
$$z_{a,b} = (x_{a,b} - m) / SD$$

where each linguistic distance is normalized according to the mean (m) and standard deviation (SD) of the respective fieldworkers/fieldworker-areas.

Complication: Linguistic distance is clearly dependent on geographic distance



Are there differences due to fieldworker?



Refinement: normalize separately per 50-km “bin” (and per fieldworker pair)



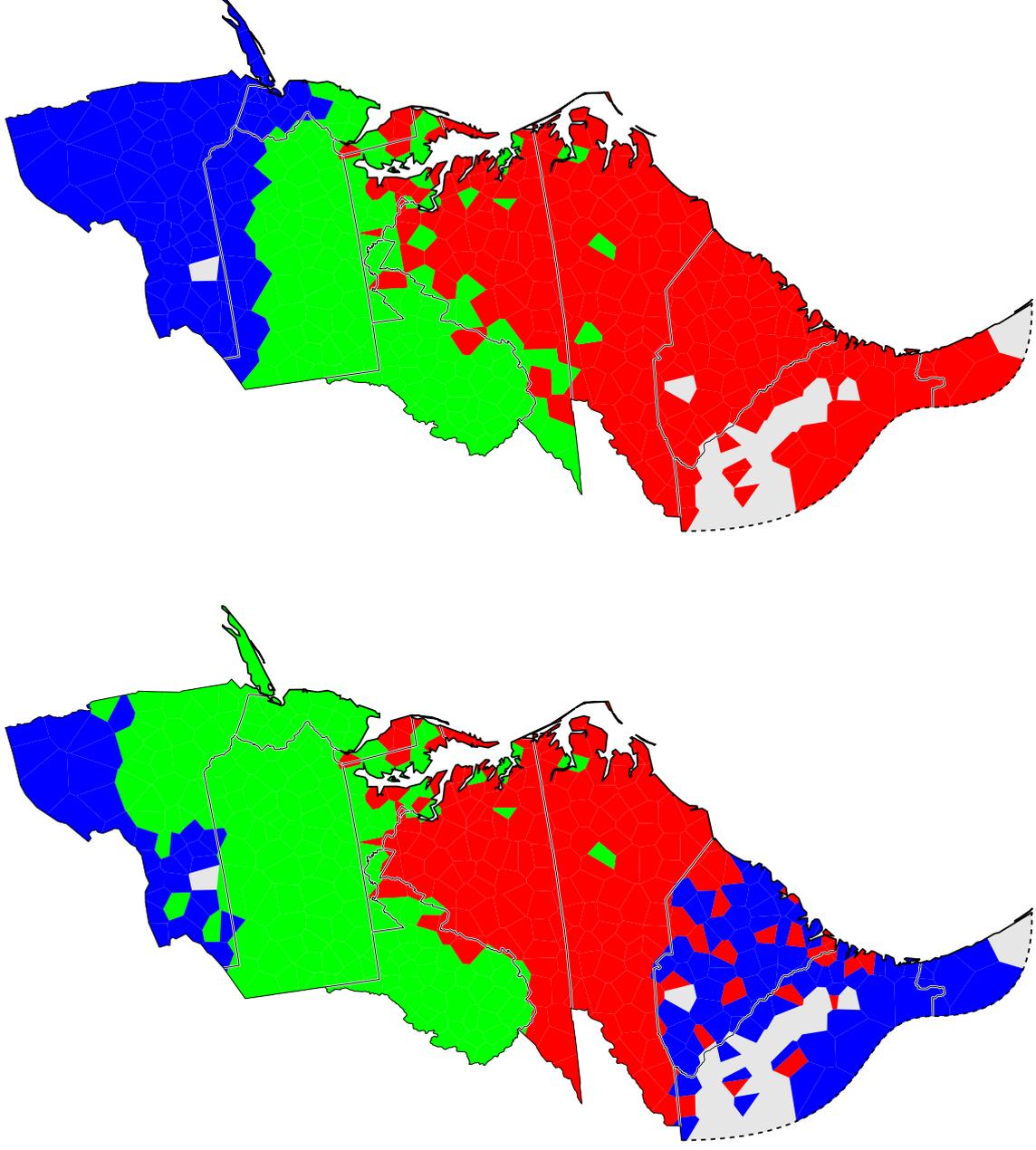
Reintroducing Geography

After we normalize in 50-km bins, the effect of geography is eliminated—even though geographic and linguistic distance are highly correlated.

We reintroduce it, now aggregated over all fieldworker pairs.

$$\begin{aligned} z_{a,b} &= (x_{a,b} - m_{fw_1, fw_2}) / SD_{fw_1, fw_2} \\ z'_{a,b} &= (z_{a,b} \times SD_{agg}) + m_{agg} \end{aligned}$$

We now cluster using these corrected, normalized distances.



3-area normalizing, uncorrected lexical (left), corrected lexical (right)



Summary of Procedure

- Three areas Lowman's, McDavid's North, McDavid's South
- Six sorts of distance: $\{L, \text{McD-N}, \text{McD-S}\} \times \{L, \text{McD-N}, \text{McD-S}\}$
- Each class of distance normalized w.r.t. its own mean, sd, considered in separate 50-km. "bins"
- Final correction in normalization reintroduces aggregate geographic effect (again per bin, aggregated over **all** fieldworker pairs.
- Lexical measurements as in Nerbonne/Kleiweg CHUM article:
 - all concepts common to worksheets examined
 - elimination of 11 least occurring tokens
 - (at first) no inverse-frequency weighting à la Goebel
- Distances clustered via Ward's method, which tends to create large, evenly sized clusters



Goebel's “Weighted Similarity”

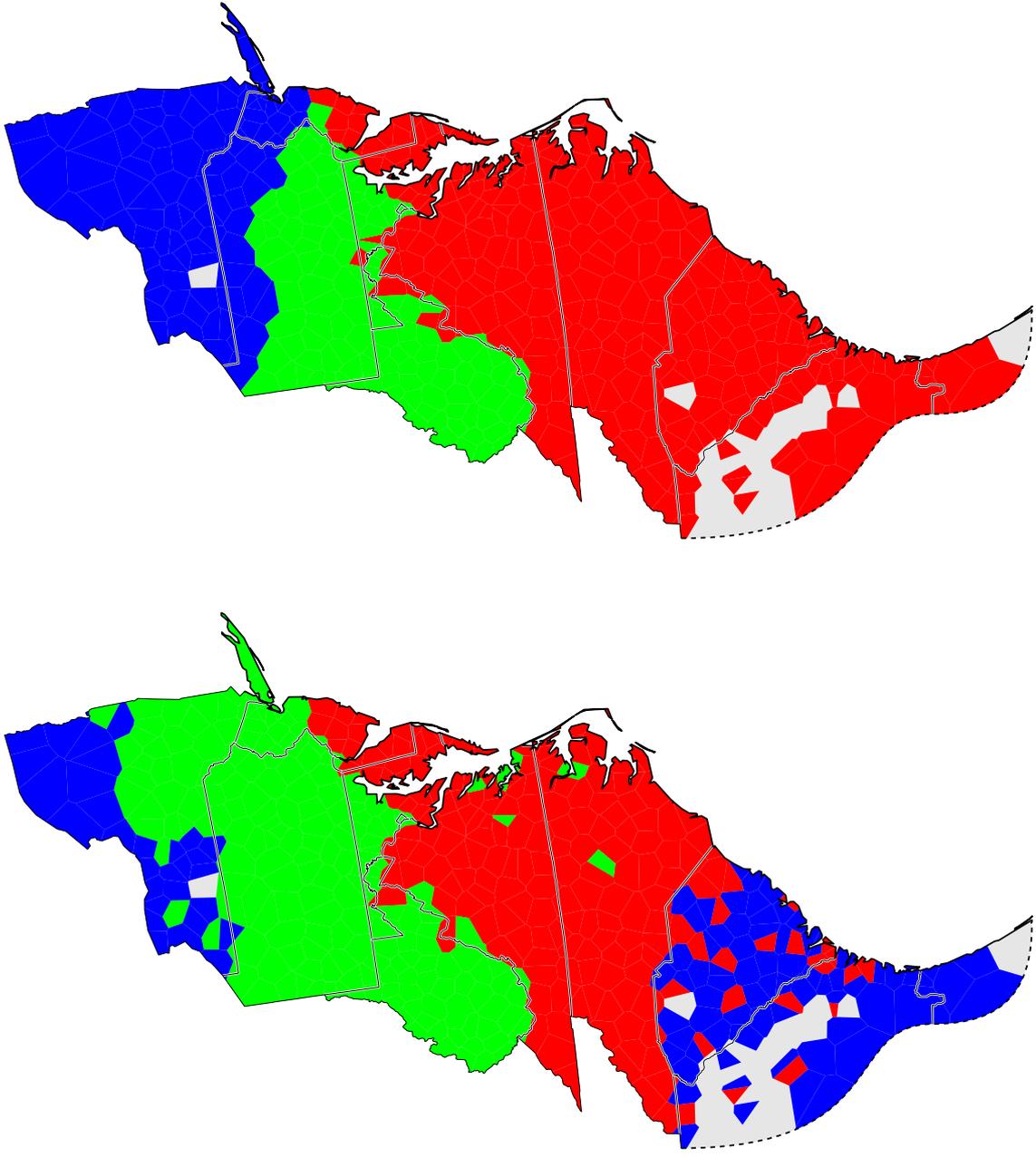
Goebel (1983) introduced *gewichteter Identitätswert*, a weighted similarity, counting overlap in infrequent words more heavily.

For concept i with n responses $w_1^i, w_2^i, \dots, w_n^i$, we let $f(w_j^i)$ be the frequency of w_j as response to query about i .

$$S(w, w') = 1 - \frac{f(w_j^i) - 1}{n \cdot w}$$

where Goebel forcees experimentation with w , always = 1 here

This *emphasizes* rather than ignores infrequent words. We try $1 - S(w, w')$ as an alternative distance measure.



3-area normalizing, Goebi-weighting, uncorr. lex. (left), corr. lex. (right)



Local Incoherence

Measures how well analyses reflect tendency local varieties to be similar.

- FUNDAMENTAL DIALECTOLOGICAL POSTULATE: geographical proximity correlates with linguistic similarity.
- Basic Idea: sum of geographic distances to linguistically closest sites.
 - Summed over all collection sites.
 - Closest varieties weighted as more important.
 - Variables are too highly collinear (geographic and linguistic distance)
- Scale in \mathfrak{R}^+ , 0 is optimal
- Depends on area, distribution & density of sites.
- Varying geography not reflected

Correction results in small drop in LI for unweighted lexical measurements, large drop in weighted measurements.



Cautions

- Results shown here were selected for the ability to show proof of concept.
- Others less convincing, e.g., at finer levels of clustering
- Graph of linguistic distance vs. geographic distance suggests a finer correction (also correcting for contribution of geography)
 - Several experiments attempted
 - Very poor results
 - Variables are too highly collinear (geographic and linguistic distance)



Conclusions

Thesis: Dialectometry can Reconcile Conflicting Reports

- Genuine problem of conflicting reports
- “McDavid isoglosses”
- Normalizing distance measures by classes of area-pairs
 - Application to lexical differences demonstrated
 - Fieldworker isoglosses resolved
- Still exploratory



Phonetic Segment Distance

- Phonetics shows how to measure differences in segments, e.g. as city-block distance in *features*

Example: difference between [i] & [e] much smaller than difference between [i] & [u].

	i	e	u	i-e	i-u
advancement	2(front)	2(front)	6(back)	0	4
high	4(high)	3(mid high)	4(high)	1	0
long	3(short)	3(short)	3(short)	0	0
rounded	0(not rounded)	0(not rounded)	1(rounded)	0	1
				1	5

- Diacritics [ĩ, eː, ə̃] can also be taken into account
- Vieregge-Cucchiarini system used, also Almeida-Braun
- Chomsky-Halle (SPE) system less useful (clever features for making rules compact)



Levenshtein Distance

Idea: *lift* segment distance to sequence distance.

Standard American	sɔɛɡlɪ	delete r	0.5
	sɔɛɡlɪ	replace l/3	0.1
	sɔɛɡɪ	insert r	0.8
Bostonian	sɔɛɡɪ		
<hr/>			
		Sum distance	1.4

- L-distance =^{df} *minimal cost of operation to rewrite one string to another.*
- Insertions and deletions compare segment to silence

Levenshtein Distance aka edit distance, string distance also used in CL (bilingual alignment), bioinformatics, software engineering.

<http://www.let.rug.nl/~kleiweg/lev/>



Problem: multiple responses

- *clear, fair off vs changing, clear, fair off*
- Sol'n: lift distance measure from strings to string sets

$$d(C) \doteq \sum_{c \in C} d(c), \quad \text{where } C \text{ is a set of string pairs}$$

Let C^1, C^2 be first, second projections of C . C COVERS $A \times B$ if, and only if $C \subseteq A \times B$, and $C^1 = A$ and $C^2 = B$.

We shall seek the minimum cost COVER

$$d(A, B) \doteq \frac{1}{|C|} \text{Min } d(C), \quad \text{where } C \text{ covers } A \times B$$



Problem: Multiple Responses

Illustration: $A = \{a, b, c\}$, $B = \{a, c, d\}$

then $C = \{\langle a, a \rangle, \langle b, d \rangle, \langle c, c \rangle\}$ covers $A \times B$,

even though $|C| = 3$, while $|A \times B| = 9$.

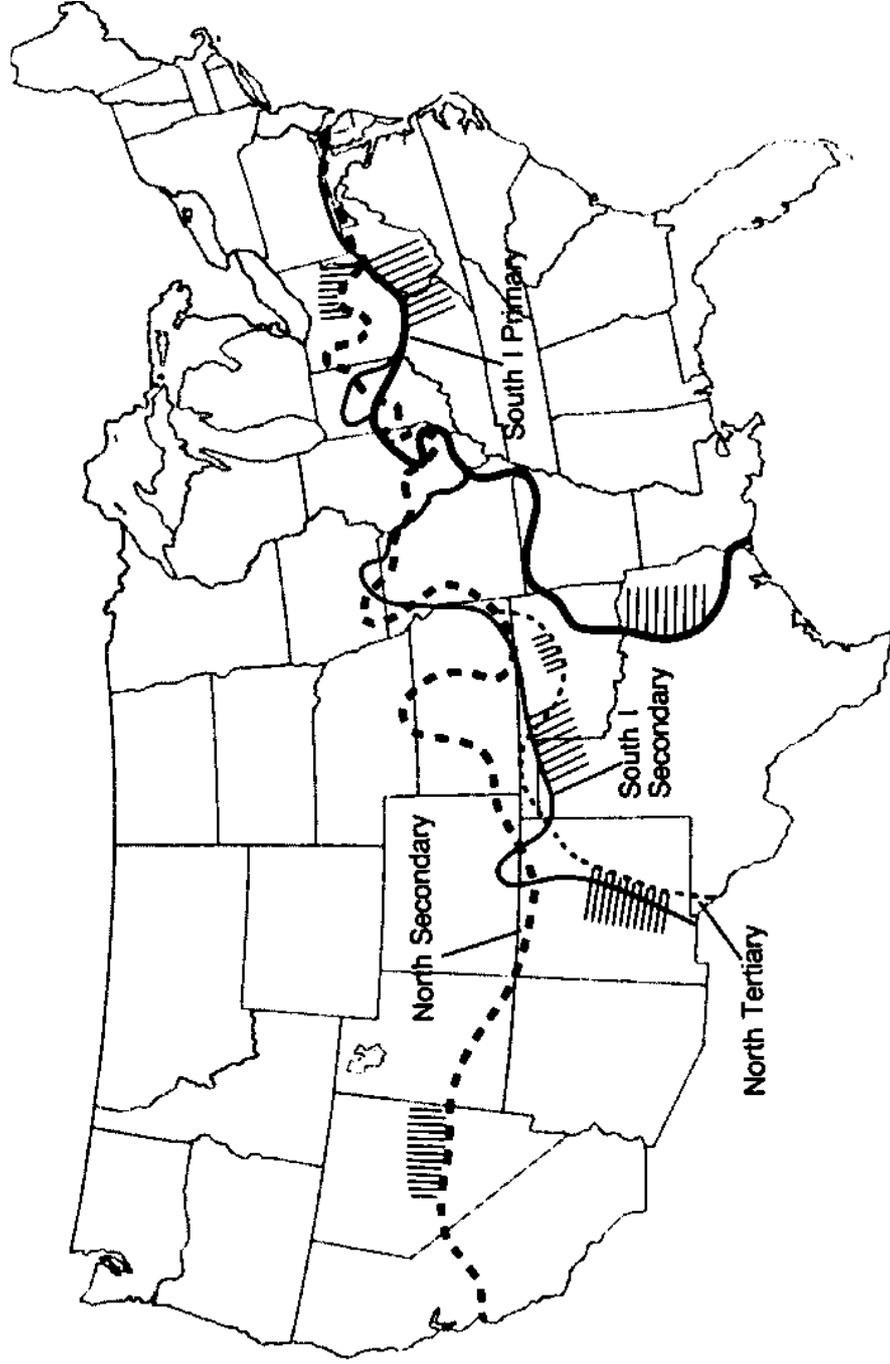
Since $d(a, a) = d(c, c) = 0$, $d(A, B) = 1/3 \cdot d(b, d) = d(b, d)/3$

Likewise

$$\begin{aligned}d(\{a\}, \{b\}) &= d(a, b) \\d(\{a\}, \{b, c\}) &= \frac{1}{2} \cdot (d(a, b) + d(a, c))\end{aligned}$$



Carver's North/South Division





Fundamental Dialectological Postulate

- Neighbouring varieties are linguistically similar
 - Exception: border areas
 - Exception: some distributed varieties (migration, trade)
- Experience in Dialectometry:
 - Very remote varieties show little correlation linguistic/geographic distance.
 - Therefore uninteresting for choice of measurement.
 - Emphasize closest varieties



Local Incoherence

$$I_L = \frac{1}{n} \sum_{i=1}^n \frac{D_i^L - D_i^G}{D_i^G}$$

$$D_i^L = \sum_{j=1}^k d_{i,j}^L \cdot 2^{-0.5j}$$

$$D_i^G = \sum_{j=1}^k d_{i,j}^G \cdot 2^{-0.5j}$$

$d_{i,j}^L, d_{i,j}^G$: geographical distance between locations i en j

$d_{i,1 \dots n-1}^L$: sorted by increasing linguistic difference

$d_{i,1 \dots n-1}^G$: sorted by increasing geographical distance

